Unemployment Insurance Financing As A Uniform Payroll Tax

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UI Tax Revenues Rise Sharply After Recessions



All values are reported in billions of 2018 dollars. Unemployment Insurance Payroll revenues are calculated from the QCEW. Social Security and Medicare tax revenues are from the OMB.

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A significant fraction of this is due to a rise in uniform payroll taxes



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- 3. Three Facts About the Uniform Payroll Tax Component
 - Large: just under half of UI tax revenues
 - Rises after recessions: as much as the firing tax component
 - Does so by more if UI is poorly funded

Two-Period Model

In period 2, a firm's payroll tax rate, τ , is a function of their "benefit ratio":

$$\tau\left(\frac{B'}{wn}\right) = \begin{cases} \tau_0 & \text{if } \frac{B'}{wn} = 0\\ \tau_0 + \tau_1 \frac{B'}{wn} & \text{if } 0 < \frac{B'}{wn} \le \bar{B}\\ \tau_0 + \tau_1 \bar{B} & \text{if } \frac{B'}{wn} \ge \bar{B} \end{cases}$$

B' = Unemployment benefits associated with the firm
wn = wage × period 1 employment = payroll

Unemployment benefits attributed to the firm evolves as follows:

$$B' = u'\phi w$$

Unemployed workers is given by:

$$u' = (1-f)(n-n')\mathbb{1}(n' < n)$$

Combining these equations, the firm's payroll tax rate can be written as a function of their employment choice:

$$\tau(n') = \begin{cases} \tau_0 & \text{if } n' \ge n\\ \tau_0 + \tau_1(1-f)\phi^{\underline{(n-n')}} & \text{if } \underline{n} \le n' < n\\ \tau_0 + \tau_1(1-f)\phi^{\underline{(n-n)}} & \text{if } n' \le \underline{n} \end{cases}$$

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$$\tau(n') = \begin{cases} \tau_0 & \text{if } n' \ge n \\ \tau_0 + \tau_1(1-f)\phi\frac{(n-n')}{n} & \text{if } \underline{n} \le n' < n \\ \tau_0 + \tau_1(1-f)\phi\frac{(n-n)}{n} & \text{if } n' \le \underline{n} \end{cases}$$

Two Components:

- Uniform Payroll Tax Component
- Firing Tax Component

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Measuring the Two Components

- Not possible to accurately measure the two components in existing datasets
- We introduce a new method using data from the Quarterly Census of Employment and Wages (QCEW)

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- Not possible to accurately measure the two components in existing datasets
- We introduce a new method using data from the Quarterly Census of Employment and Wages (QCEW)
 - 1. Compute overall UI tax rate: τ_t^s
 - 2. Estimate the uniform payroll tax component: $\tau_{0,t}^s$
 - 3. Recover the firing tax component: $\tau_t^s \tau_{0,t}^s$

How to Measure the Uniform Payroll Tax Component

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How to Measure the Uniform Payroll Tax Component

- 1. Construct a UI tax rate for every county-industry cell: $\tau_t^{c,i}$
- 2. Assume: $\tau_{0,t}^s = \min \tau_t^{c,i}$
 - True as long as there exist cells where all firms face the minimum UI tax rate
 - Works in practice as 30 60% of firms pay the minimum rate

Case Study: Alabama



The UI tax is the ratio of quarterly UI contributions paid by firms in the cell, to the sum of quarterly UI-taxable wages in the cell, measured in percent. The sample is all industry by county cells, measured separately for each quarter of 2009 (left panel) or 2010 (right panel) in Alabama. Industry-by-county cells include industries at the NAICS 2 through 6 digit level.

Case Study: Alabama



---- Minimum Rate from Significant Provisions of State UI Laws

Facts 1 & 2: The Uniform Payroll Tax is Large and Cyclical



Weighted by state employment. Both the average and minimum tax rates include state and federal UI tax contributions.

► We run regressions of the form:

$$\tau_{0,t}^{s} = \alpha + \beta_0 U_{t-1}^{s} + \beta_1 X_t^{s} + \beta_2 U_{t-1}^{s} \times X_t^{s} + \epsilon_t^{s}$$

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	Outcome: Minimum Tax Rate ($ au_0$)				
	(1)	(2)	(3)	(4)	(5)
Unemployment Rate	0.187 (0.025)				
Percent of Wages Taxable					
Unemp. Rate \times Percent Taxable					
Benefit Duration					
Unemp. Rate \times Duration					
Observations R ²	1617 0.180				

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	Outcome: Minimum Tax Rate (au_0)					
	(1)	(2)	(3)	(4)	(5)	
Unemployment Rate	0.187 (0.025)					
Percent of Wages Taxable		-0.359 (0.051)				
Unemp. Rate \times Percent Taxable						
Benefit Duration						
Unemp. Rate $ imes$ Duration						
Observations	1617	1617				
R ²	0.180	0.152				

$$\tau_{0,t}^{s} = \alpha + \beta_0 U_{t-1}^{s} + \beta_1 X_t^{s} + \beta_2 U_{t-1}^{s} \times X_t^{s} + \epsilon_t^{s}$$

	Outcome: Minimum Tax Rate (au_0)				
	(1)	(2)	(3)	(4)	(5)
Unemployment Rate	0.187 (0.025)		0.147 (0.012)		
Percent of Wages Taxable		-0.359 (0.051)	-0.061 (0.113)		
Unemp. Rate \times Percent Taxable			-0.044 (0.020)		
Benefit Duration					
Unemp. Rate \times Duration					

Observations	1617	1617	1617
R^2	0.180	0.152	0.313

$$\tau_{0,t}^{s} = \alpha + \beta_0 U_{t-1}^{s} + \beta_1 X_t^{s} + \beta_2 U_{t-1}^{s} \times X_t^{s} + \epsilon_t^{s}$$

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Unemp. Rate \times Percent Taxable			-0.044 (0.020)		
Benefit Duration				0.311 (0.020)	
Unemp. Rate \times Duration					
Observations R ²	1617 0.180	1617 0.152	1617 0.313	1617 0.127	

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	Outcome: Minimum Tax Rate ($ au_0$)				
	(1)	(2)	(3)	(4)	(5)
Unemployment Rate	0.187 (0.025)		0.147 (0.012)		0.167 (0.023)
Percent of Wages Taxable		-0.359 (0.051)	-0.061 (0.113)		
Unemp. Rate \times Percent Taxable			-0.044 (0.020)		
Benefit Duration				0.311 (0.020)	0.077 (0.072)
Unemp. Rate \times Duration					0.034 (0.013)
Observations R ²	1617 0.180	1617 0.152	1617 0.313	1617 0.127	1617 0.278



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Conclusion

- 1. UI taxes have Uniform Payroll Tax and Firing Tax components
- 2. Both can be measured using publicly-available data
- 3. The Uniform Payroll Tax is large, rises after recessions, and does so by more the lower is the taxable base or the more generous are benefits
- 4. Open Question: How much does a higher uniform payroll tax after recessions weigh on aggregate employment?